

## Statistics for <br> People Who (Think They)

Hate Statistics
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Chapter 2 () © ; ) © Means to an End:
Computing and Understanding Averages

## What You Will Learn in Chapter 2

- Understanding measures of central tendency
- Computing the mean for a set of scores
- Computing the median for a set of scores
- Computing the mode for a set of scores
- Understanding and applying scales or levels of measurement
- Selecting a measure of central tendency


## Measures of Central Tendency

- The AVERAGE is one value that best represents a set of scores
- Another name for AVERAGES is measures of central tendency
- Examples include the mean, median, and mode


## Computing the Mean

- $\bar{X}$ is the mean value of the group of scores.
- $\Sigma$ (sigma) tells you to add together whatever follows it.
- $X$ is each individual score in the group.
- The $n$ is the sample size.


## Steps to Computing the Mean

1. List the entire set of values in one or more columns. These are all the Xs .
2. Compute the sum or total of all of the values.
3. Divide the total or sum by the number of values.

## Things to Remember . . .

- The mean is sometimes represented by the letter $M$.
- $n=$ sample size $\quad N=$ population size
- Sample mean is the measure of central tendency that best represents the population mean.
- It is also called the arithmetic mean.
- Mean is like the fulcrum on a seesaw.
- Mean is VERY sensitive to extreme scores that can skew or distort findings.


## Weighted Mean

- Step 1: List all values for which the mean is being calculated. (List them only once.)
- Step 2: List the frequency with which each value occurs.
- Step 3: Multiply the value by the frequency, as shown in the third column.
- Step 4: Sum all of the values in the Value Frequency column.
- Step 5: Divide by the total frequency.


## Median

- The median is defined as the midpoint in a set of scores.
- It's the point at which one half, or $50 \%$, of the scores fall above, and one half, or $50 \%$, fall below.


## Steps to Finding the Median

1) List the values, in order, either from highest to lowest or lowest to highest.
2) Find the middlemost score. That's the median.

BUT . . .

- What if there are two middle scores?
- The median is simply the mean of the two middle values.


# A Little About Percentiles . . . 

- Percentile ranks are used to define the percentage of cases equal to and below a certain point on a distribution.
- 75th percentile means that the score received is at or above $75 \%$ of all other scores in the distribution.
- Median is always at the 50th percentile.


## Critical Thinking

- Why use the median instead of the mean?


## Things to Remember

- The mean is the middle point in a set of values, whereas the median is the middle point in a set of cases.
- Because the median cares about the number of cases, extreme scores (i.e., outliers) do not impact it.


## Computing the Mode

- Mode $=$ most frequently occurring value
- This is the least precise measure of central tendency.
- When two values occur the same number of times, there is bimodal distribution.


## Steps to Finding Mode

- List all values in the distribution, but list each value only once.
- Tally the number of times each value occurs.
- The value occurring the most is the mode.


## Example of Finding Mode

| Party Affiliation | Number or Frequency |
| :--- | :--- |
| Democrats | 90 |
| Republicans | 70 |
| Independents | 140 |

## Multimodal

- Bimodal = Distribution with two modes
- Trimodal $=$ Distribution with three modes
- Trimodal distributions are unlikely when dealing with a large set of data points, but they are possible.


## Scales of Measurement

- Level of measurement dictates what specific measure of central tendency you will use.
- Measurement is the assignment of values to outcomes following a set of rules.
- Each of the four levels has a particular set of characteristics.


## Four Flavors of Scales of Measurement

- Nominal
- Ordinal
- Interval
- Ratio


## Nominal Level of Measurement

- Defined by the characteristics of an outcome that fit into one and only one class or category
- These are mutually exclusive.
- Examples include gender and political affiliation.


## Ordinal Level of Measurement

- The characteristic of things being measured here is that they are ordered.
- Example: Ranking candidates for a job


## Interval Level of Measurement

- Based on some underlying continuum, such that we can talk about how much more a higher performance is than a lesser one
- The intervals, spaces, or points along the scale are equal to one another.


## Ratio Level of Measurement

- An assessment tool at the ratio level of measurement is characterized by the presence of an absolute zero on the scale.
- Examples: Zero molecular movement and zero light


## When to Use What . . .

- Use mode when the data are qualitative, categorical, or nominal (e.g., eye color or political party) and values can only fit into one category (i.e., mutually exclusive).
- Use median when you have extreme scores.
- Use mean when the data do not include extreme scores (i.e., outliers) and are not qualitative, categorical, or nominal.


## Using the Computer: Descriptive Statistics

Figure 2.1 The Frequencies: Statistics Dialog Box From SPSS

Frequencies: Statistics
$\times$


## The SPSS Output

Figure 2.2 Descriptive Statistics From SPSS
$\Rightarrow$ Frequencies
[DataSet1] C: \Textbook Stuff $\backslash$ Stat for People 6e\Chapte,

Statistics
Predjudice

| N | Valid | 20 |
| :--- | :--- | ---: |
|  | Missing | 0 |
| Mean |  | 84.70 |
| Median |  | 87.00 |
| Mode | 87 |  |


| Predjudice |  |  |  |  |  |
| :--- | :--- | ---: | ---: | ---: | ---: |
|  |  | Frequency | Percent | Valid Percent | Cumulative <br> Percent |
| Valid | 55 | 1 | 5.0 | 5.0 | 5.0 |
|  | 64 | 1 | 5.0 | 5.0 | 10.0 |
|  | 67 | 1 | 5.0 | 5.0 | 15.0 |
|  | 76 | 1 | 5.0 | 5.0 | 20.0 |
|  | 77 | 1 | 5.0 | 5.0 | 25.0 |
|  | 81 | 2 | 10.0 | 10.0 | 35.0 |
|  | 82 | 1 | 5.0 | 5.0 | 40.0 |
|  | 87 | 4 | 20.0 | 20.0 | 60.0 |
|  | 89 | 1 | 5.0 | 5.0 | 65.0 |
|  | 93 | 1 | 5.0 | 5.0 | 70.0 |
|  | 94 | 2 | 10.0 | 10.0 | 80.0 |
|  | 96 | 1 | 5.0 | 5.0 | 85.0 |
|  | 99 | 15.0 | 15.0 | 100.0 |  |
|  | 20 | 100.0 | 100.0 |  |  |

